



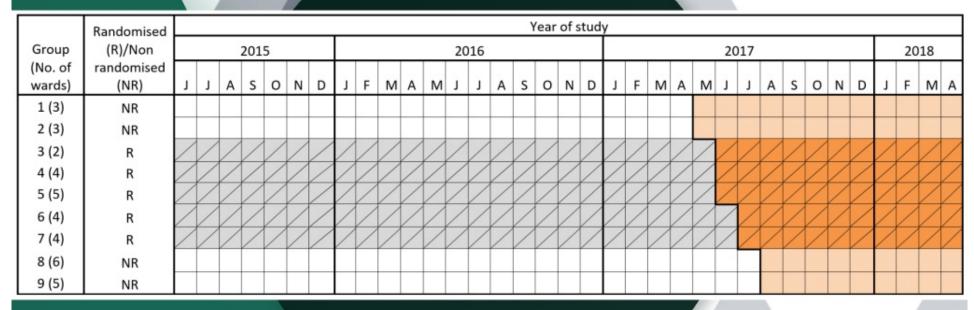
Hospital Falls Trial

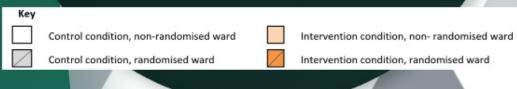
- Evaluate intervention aimed at reducing falls (primary outcome) in a single UK hospital
- Rapid response research
- Intervention implementation built around service timetable
- Includes all 36 wards in the hospital
 - artially randomised design

Study Design

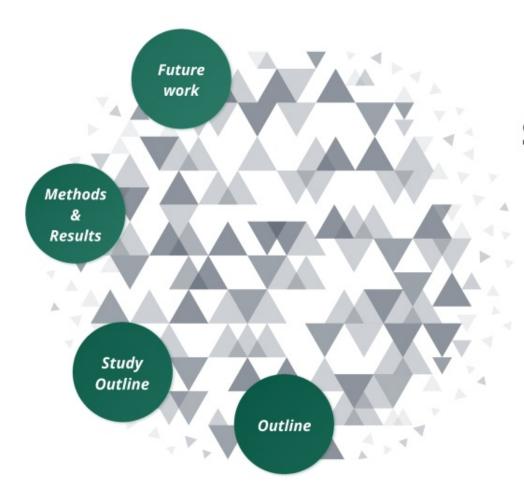
Problems

Study Design





Problems The roll-out was more rapid than planned • The planned steps in the stepped-wedge component were practically lost • Wards were very different - so likely to see different time trends and intervention effect • Only ward level data was available · Not all wards were randomised • Some wards were deemed unsuitable for randomisation





Methods Questions

Time Trends

- Is the standard model to analyse a steppedwedge trial appropriate?
- Would analysing the study as an interrupted time series be more appropriate?
- Analyse randomised clusters only or analyse all clusters

Forest Plots

Interrupted Time Series Time Trends Assumptions

- Parallel CRTs require no adjustment for time trend because of a balance between intervention and control observations over time
- SW-CRTs require time adjustment intervention effect could be confounded with time
- Basic Hussey & Hughes model assumes a homogenous secular trend across clusters

No Time Trends

> Linear Time Trends

Fixed Effects for Time

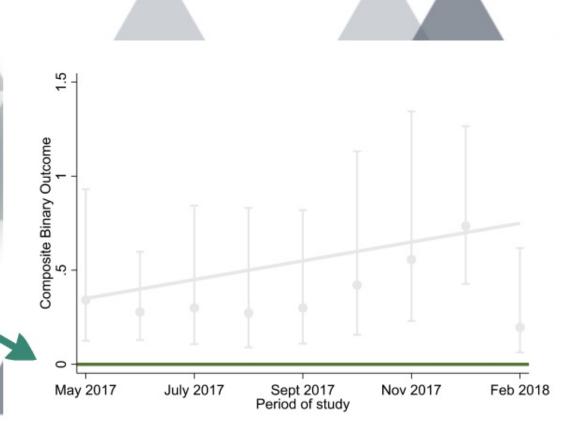
Time Effects Examples

Hussey MA, Hughes JP. Design and analysis of stepped wedge cluster randomized trials. Contemporary clinical trials. 2007 Feb 1;28(2):182-91.

Hemming K, Haines TP, Chilton PJ, Girling AJ, Lilford RJ. The stepped wedge cluster randomised trial: rationale, design, analysis, and reporting. Bmj. 2015 Feb 6;350:h391.

No Time Trends

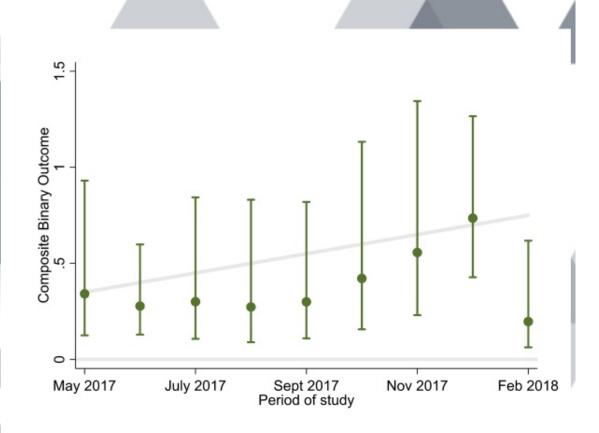
- Outcome is not affected by time at all
- As time passes, the outcome is not affected
- Secular trend (or lack of) is identical in all clusters



Linear Time Trend 1.5 • As time passes, the outcome nposite Binary Outcome increases/decreases in a linear fashion • Secular trend is identical in all clusters Sept 2017 Period of study July 2017 May 2017 Nov 2017 Feb 2018

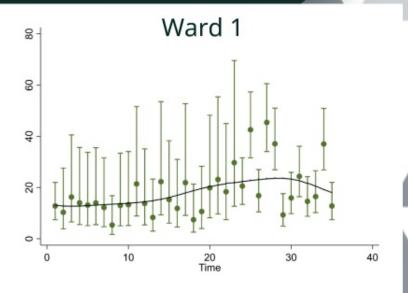
Fixed Time Effects

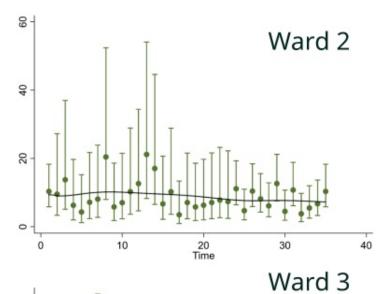
- Modelled as a categorical variable
- As time passes, the outcome could increase or decrease
- Secular trend is identical in all clusters

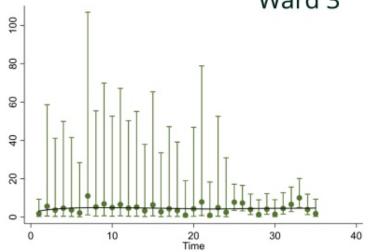


Time trends observed in the study

- Clearly time trends are very different in each ward
- Assumption of the same time trend in each ward would not be valid







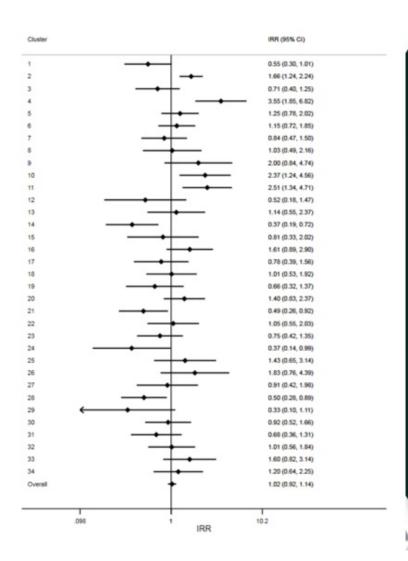
Differential time effects & treatment effects

- · Possibility of:
 - Differential treatment effects
 - · Differential time effects
- Fitted to each ward individually, a model with:
 - fixed intervention effect
 - time
 - time since intervention

Immediate intervention effect

Time trend

$$y_{ij} = \theta X_{ij} + \alpha_1 t_{1ij} + \alpha_2 t_{2ij} + e_{ij}$$



Immediate Intervention Effect

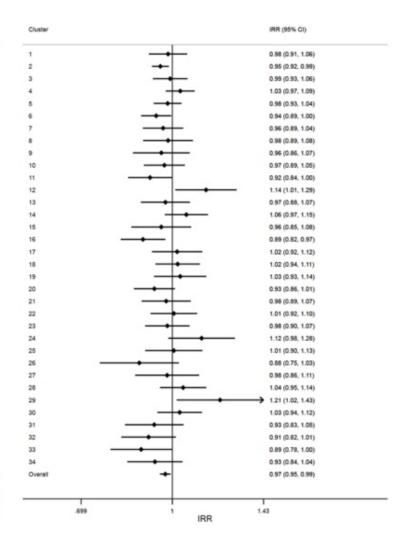
This is the change in primary outcome in month immediately after the intervention

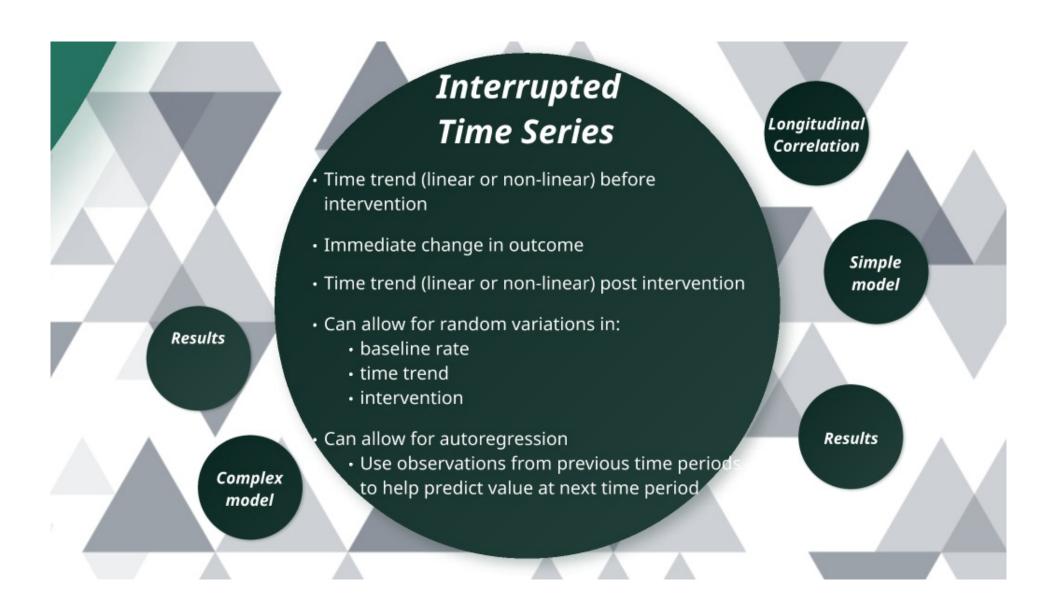
- Large degree of heterogeneity
- Evidence of positive and negative intervention effect
 - Cluster 12 had 63% reduction in falls
 - Cluster 4 had 255% increase in falls

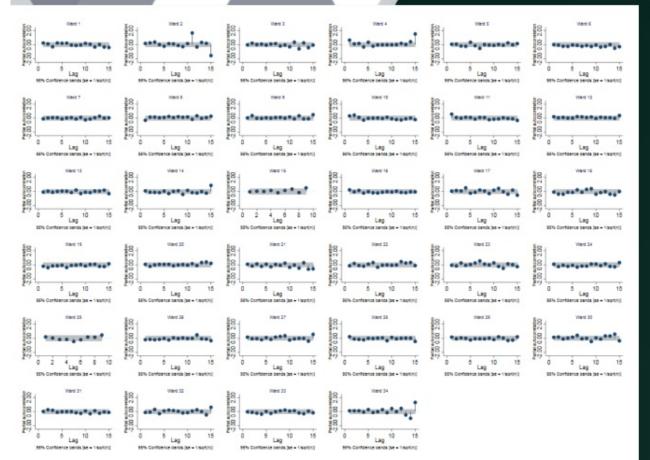
Post-Intervention Time Trend

Time trend in each cluster after the intervention (linear trend - will discuss this more in a moment)

- Some heterogeneity
- Evidence of decreasing and increasing outcome over time

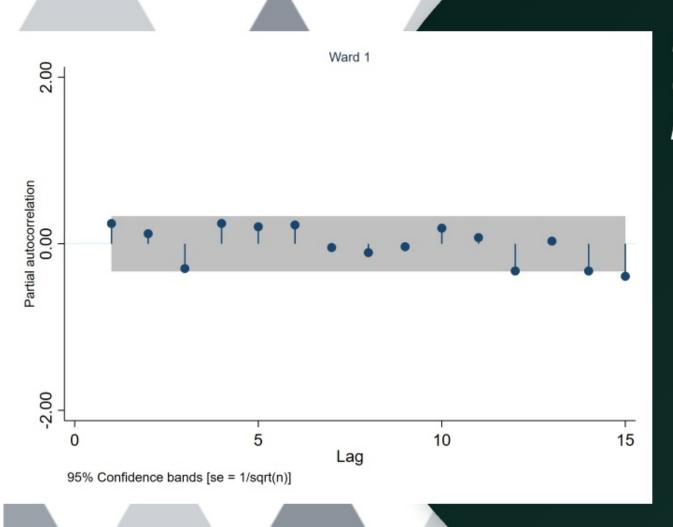






Longitudinal Correlation

- Auto-regressive models can be fitted that allow for longitudinal correlation
- Checks of the autocorrelation and partial autocorrelation showed (surprisingly) no autocorrelation in this study



Partial autocorrelation plot for Ward 1

 Summary of relationship between an observation in a time series with an observation at an earlier time point.

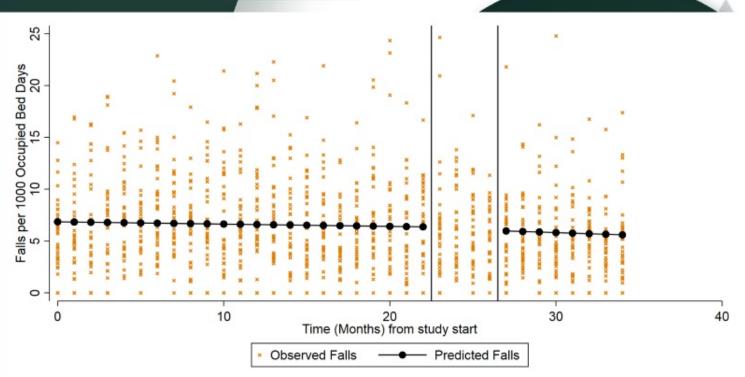
Simple model

Model with

- · Random effect for initial rate
 - Allow rate of falls at study start to differ in each ward
- Linear time before intervention
 - Rate of change in falls is consistent each month
- Random effect for slope pre-intervention
 - Rate of change in falls per month can differ for each ward
- Linear time post intervention
 - Rate of change in falls is consistent each month
- Random effect slope post- intervention
 - Rate of change in falls per month can differ for each ward

Results

- 6.62 falls per 1000 OBDs in the control phase
- 5.89 falls per 1000
 OBDs in the intervention phase
- No evidence of an immediate intervention effect on the rate of falls
- A decrease of approximately 3% in the rate of falls per month after the intervention was introduced



Complex Model

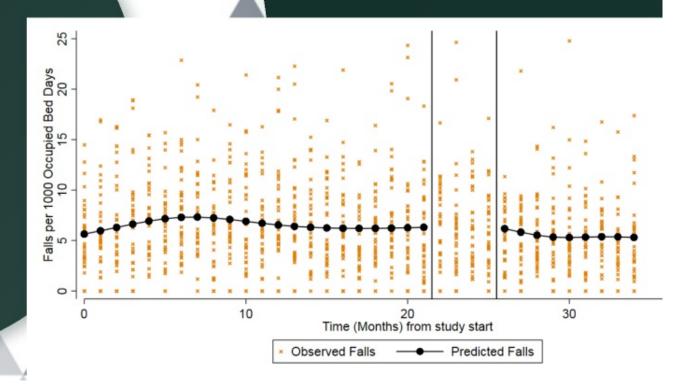
Assumption of linear time trend is a large assumption. In some cases, it may be applicable, but we would not expect it to always be the case.

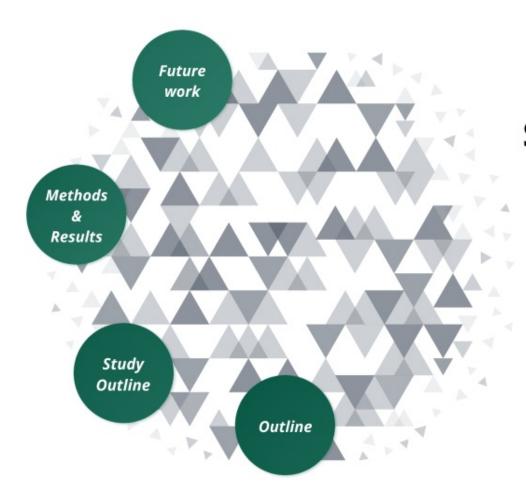
Rather than assume linear time, it is possible to allow for more complex plots of time.

- In addition to an intervention effect, we fitted a cubic spline to allow for a non-linear time trend. It was possible to allow for:
 - Non-linear time effect pre-intervention
 - Non-linear time effect post-intervention

Non-linear Time

- Interpretation of results can be more difficult
 - No longer simple to describe secular trends
- Not enough evidence of an intervention effect









How can we allow for variations in secular trends when estimating sample size?

- Current ideas:
 - Simulate IPD with varying secular trends
 - Simulate cluster-level/strata level treatment effects & pool results



